

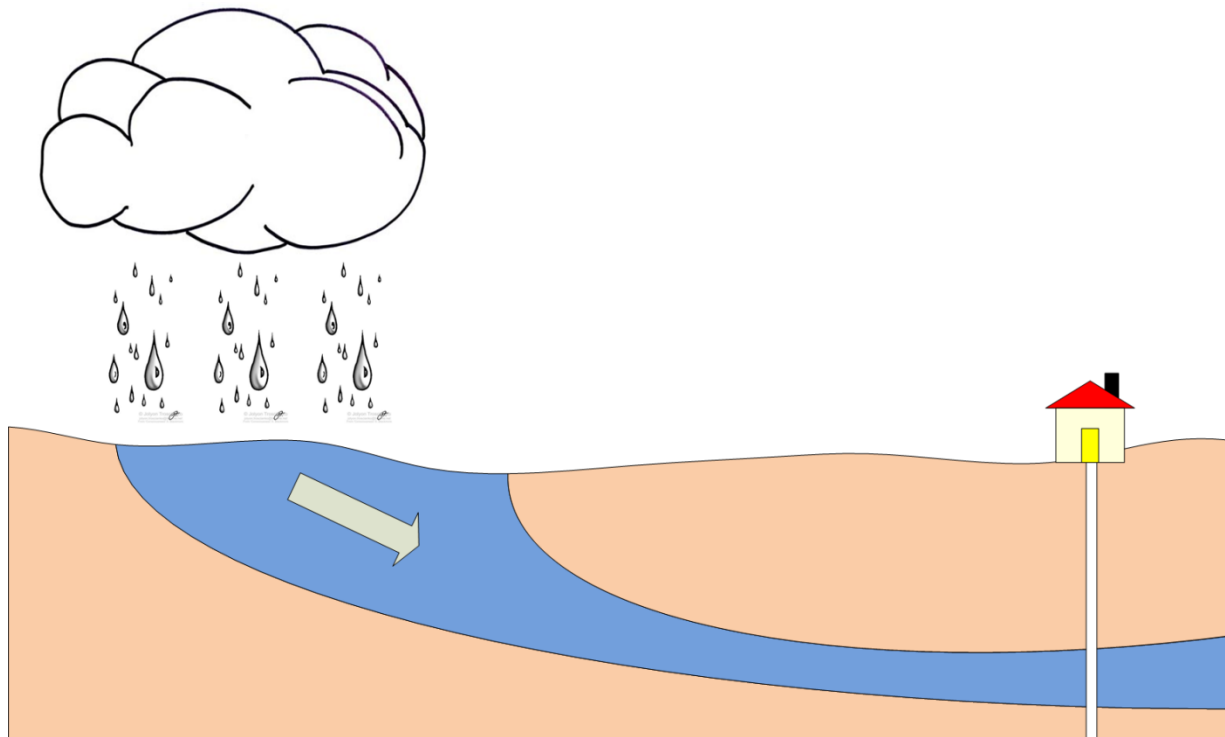
PRÉDICTION DES TEMPS DE RENOUVELLEMENT DANS LES AQUIFÈRES DE SOCLE À PARTIR DES DONNÉES DE DATATION DES EAUX

ASSESSING RENEWAL TIME IN HARD ROCK AQUIFERS FROM GROUNDWATER AGE DATA

Pauline Rousseau-Gueutin , Jean-Raynald de Dreuzy, Jean
Marçais, Sarah Leray,
Olivier Bour, Luc Aquilina, Virginie Vergnaud-Ayraud

« Groundwater age »

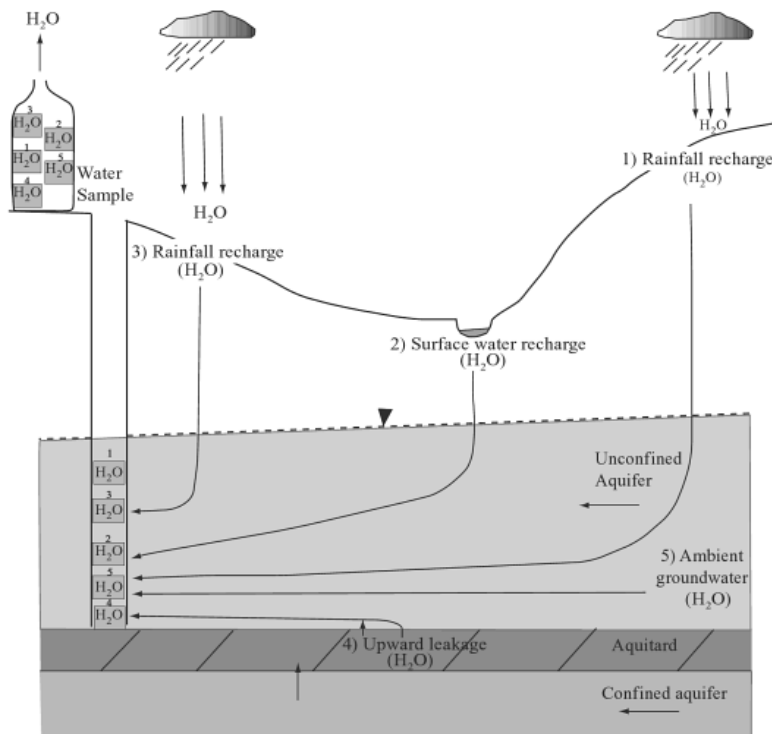
- Time since precipitation has entered groundwater system → use of environmental tracers



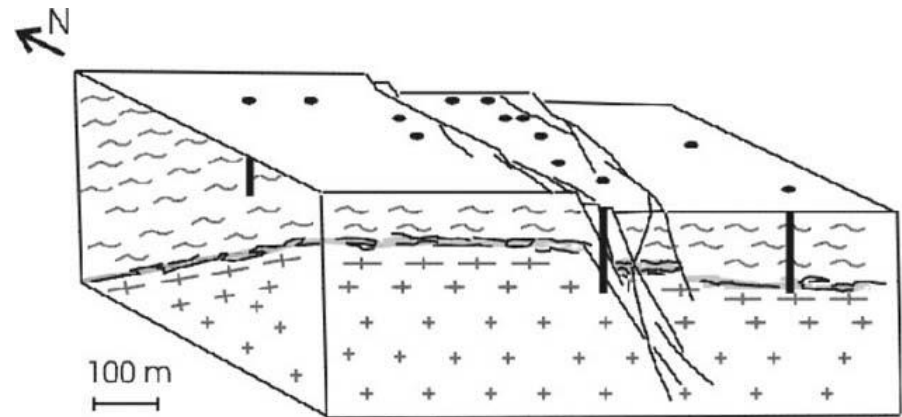
Massoudieh, 2016

« Groundwater age »

- Dispersion in the aquifers and mixing when sampling



Kazemi et al. 2006



Le Borgne et al. 2006

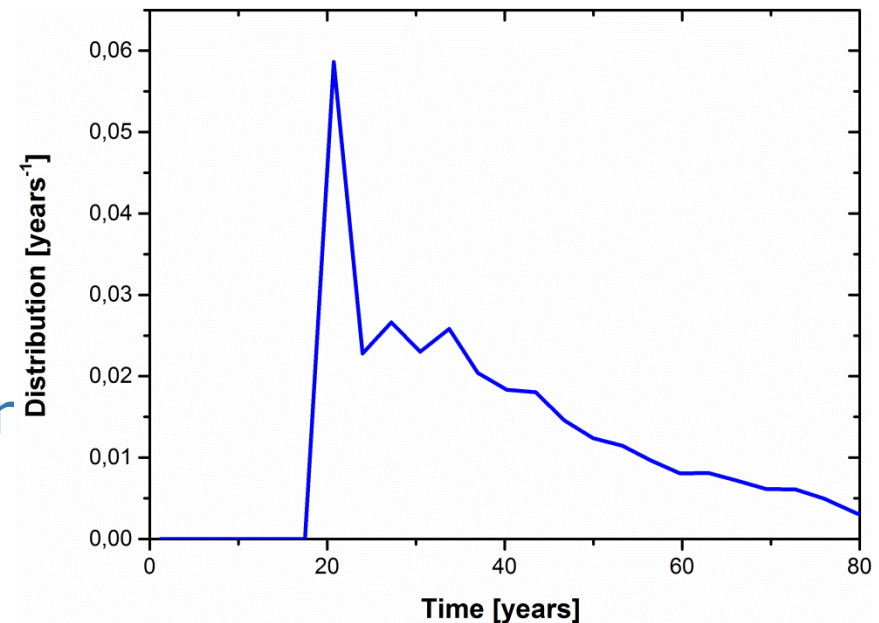
« Groundwater age »

- Dispersion in the aquifers and mixing when sampling

→ **Groundwater age
= distribution of ages**

→ TTD translate groundwater age data to renewal time or flushing time

→ Partial knowledge of TTD with tracer concentration



Assessment of the TTD

- One of the approaches → Lumped Parameter Models
- Analytical solutions developed to represent the multi-scale and multi-factors dispersive processes

LPM's name	Expression
Dirac (<i>Piston Flow</i>)	$f_T(t) = \delta(t - T)$
Exponential (<i>Exponential</i>)	$f_T(t) = \frac{1}{T} \exp\left(-\frac{t}{T}\right)$
Inverse Gaussian (<i>Dispersion</i>)	$f_{(T,Pe)}(t) = \left(\frac{TPe}{2\pi t^3}\right)^{0.5} \exp\left(-\frac{Pe(t-T)^2}{2Tt}\right)$
Shifted Exponential (<i>Exponential Piston Flow</i>)	$f_{(T,t_0)}(t) = \begin{cases} \frac{1}{t_0} \exp\left(-\frac{t-(T-t_0)}{t_0}\right) & \text{for } t \geq T - t_0, \\ 0 & \text{otherwise.} \end{cases}$
Uniform (<i>Linear Piston Flow</i>)	$f_{(T,\epsilon)}(t) = \begin{cases} \frac{1}{\epsilon} & \text{for } T - \frac{\epsilon}{2} \leq t < T + \frac{\epsilon}{2}, \\ 0 & \text{otherwise.} \end{cases}$
Weighted sum of Diracs	$f_{(t_0,t_1,\omega)}(t) = \omega \delta(t - t_0) + (1 - \omega) \delta(t - t_1)$
Shifted Inverse Gaussian	$f_{(T,Pe,t_0)}(t) = \begin{cases} \left(\frac{Pe(T-t_0)}{2\pi(t-t_0)^3}\right)^{0.5} \exp\left(-\frac{Pe(t-T)^2}{2(T-t_0)(t-t_0)}\right) & \text{for } t \geq t_0, \\ 0 & \text{otherwise.} \end{cases}$

Aims

- **What is the predictive capacity of the LPMs ?**
- Why constraining a groundwater model of a complex aquifer with tracer data?
- Are shallowly dipping fractured zones significant groundwater resource ?

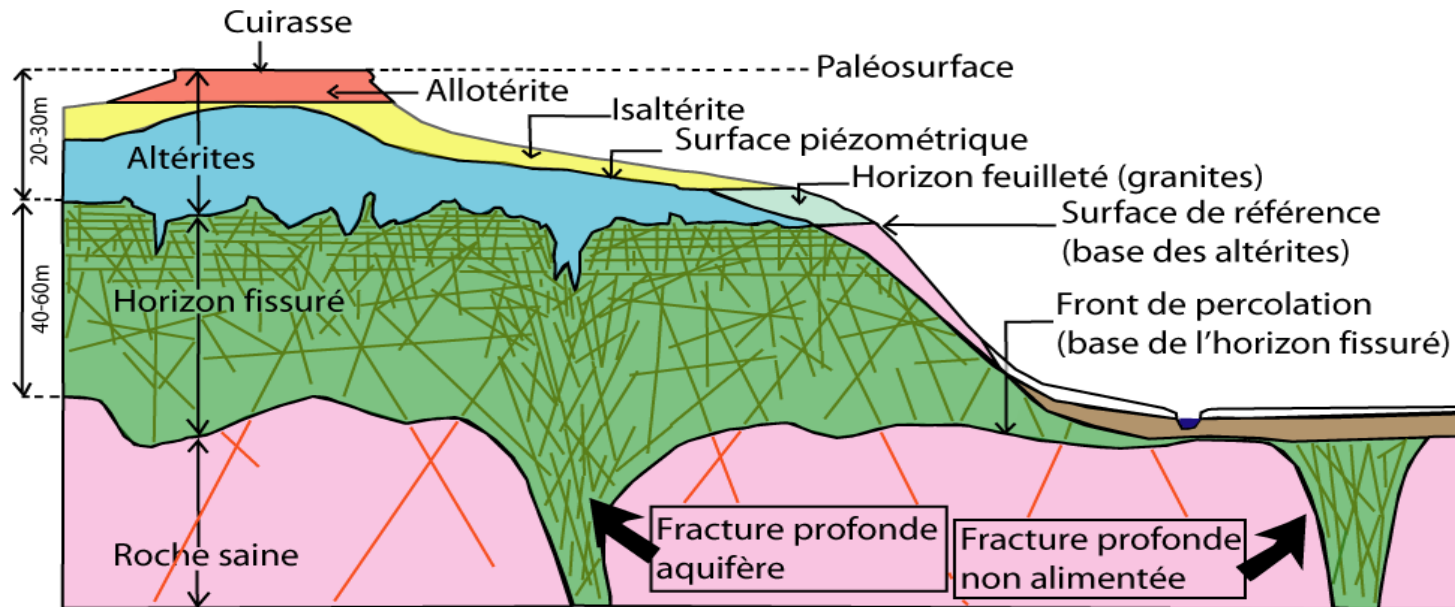
Methodology

- Highlights on shallowly dipping fractured zones productivity and application to the Ploemeur site
- Use of a numerical model at the Ploemeur site as virtual reality
 - Obtention of « information »
- Calibration of LPMs and comparison of the renewal times (predictions) from those LPMs and our reality

PRODUCTIVITY OF DIPPING FRACTURED ZONES

Productive structures in HR aquifers

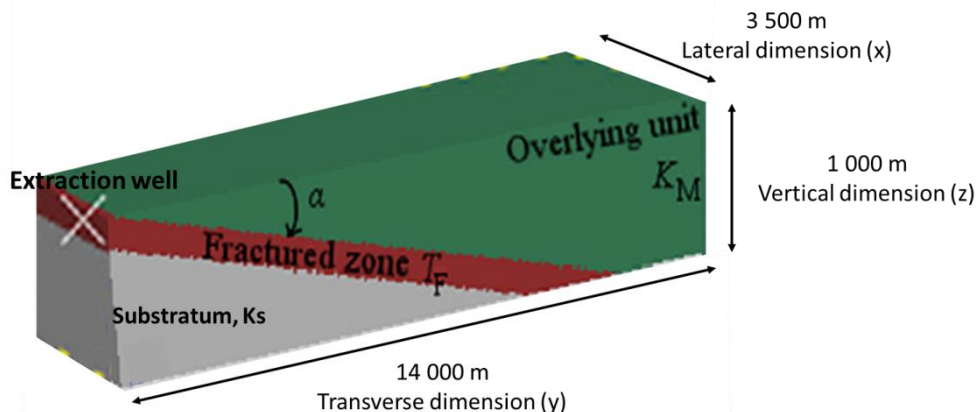
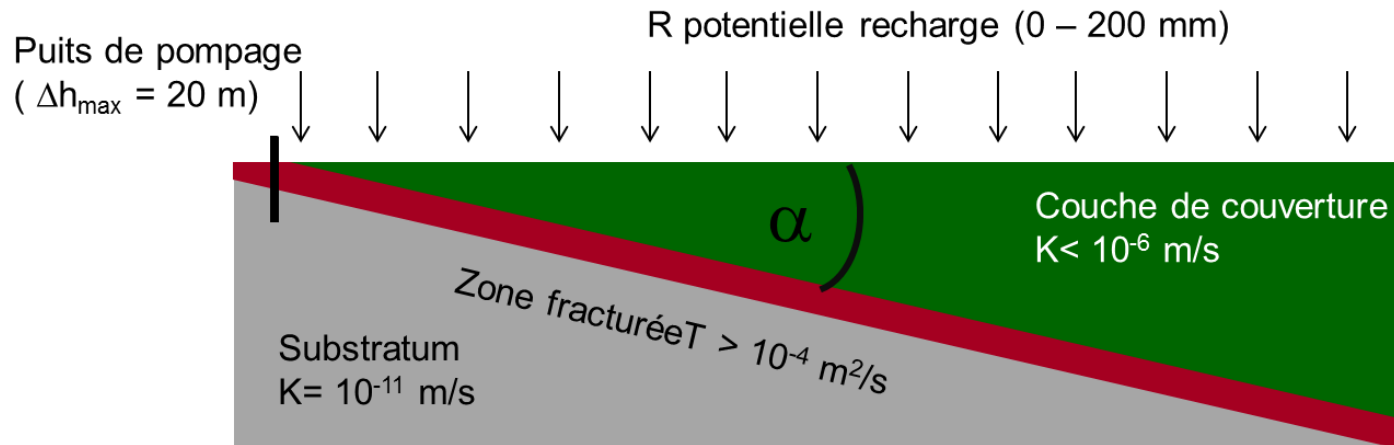
- Two main structures :



Wynns et al., 2005

- 3rd type → dipping fractured zones

Numerical modeling



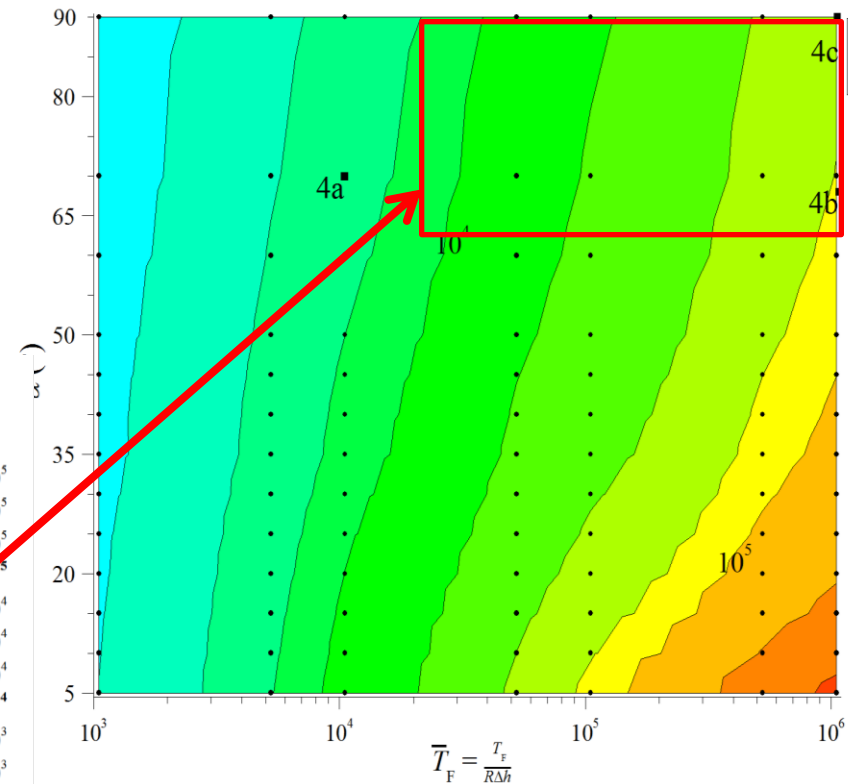
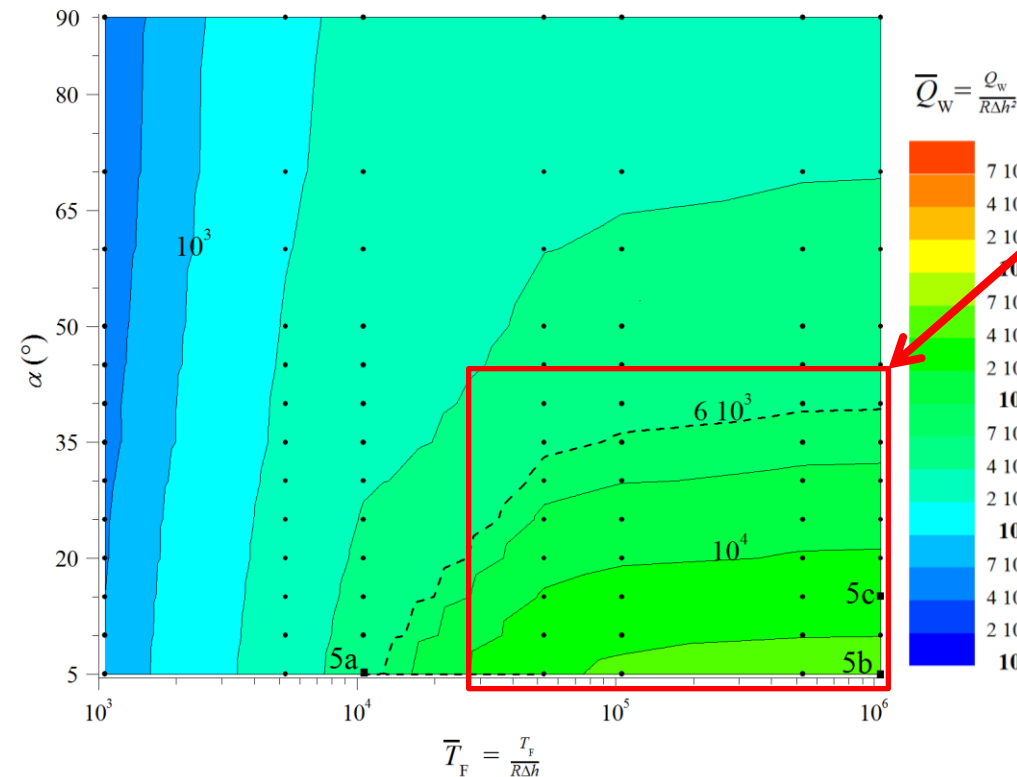
Steady state 3D
simulations → assessment of
Q for a specific Δh

Tested parameters :

- Geometry
 - α and size of the system (3.5 and 140 km)
- Hydrogeology
 - T of the fracture zone and K of the overlying layer

Productivity of the dipping structure equivalent to regional fault productivity

Local scale → extension 3.5 km

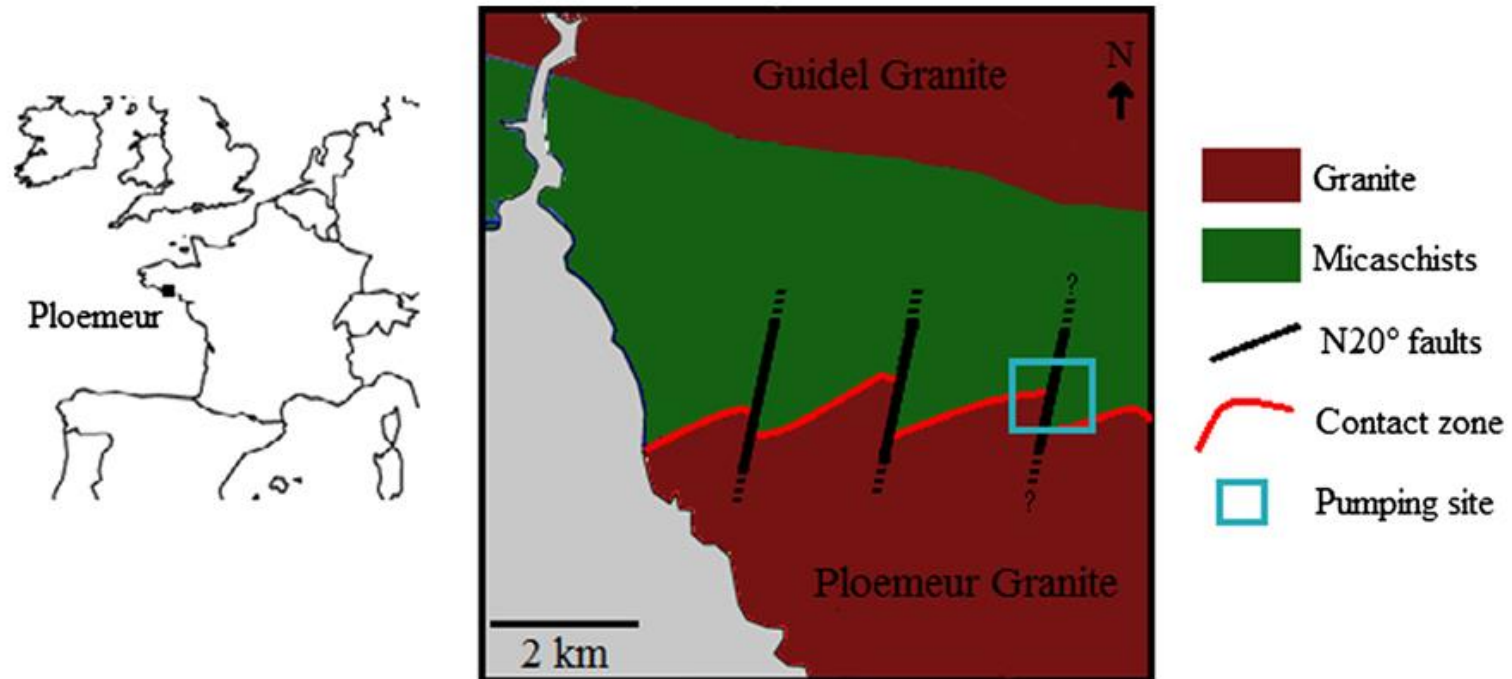


Regional scale → extension 140 km

Leray et al., 2013

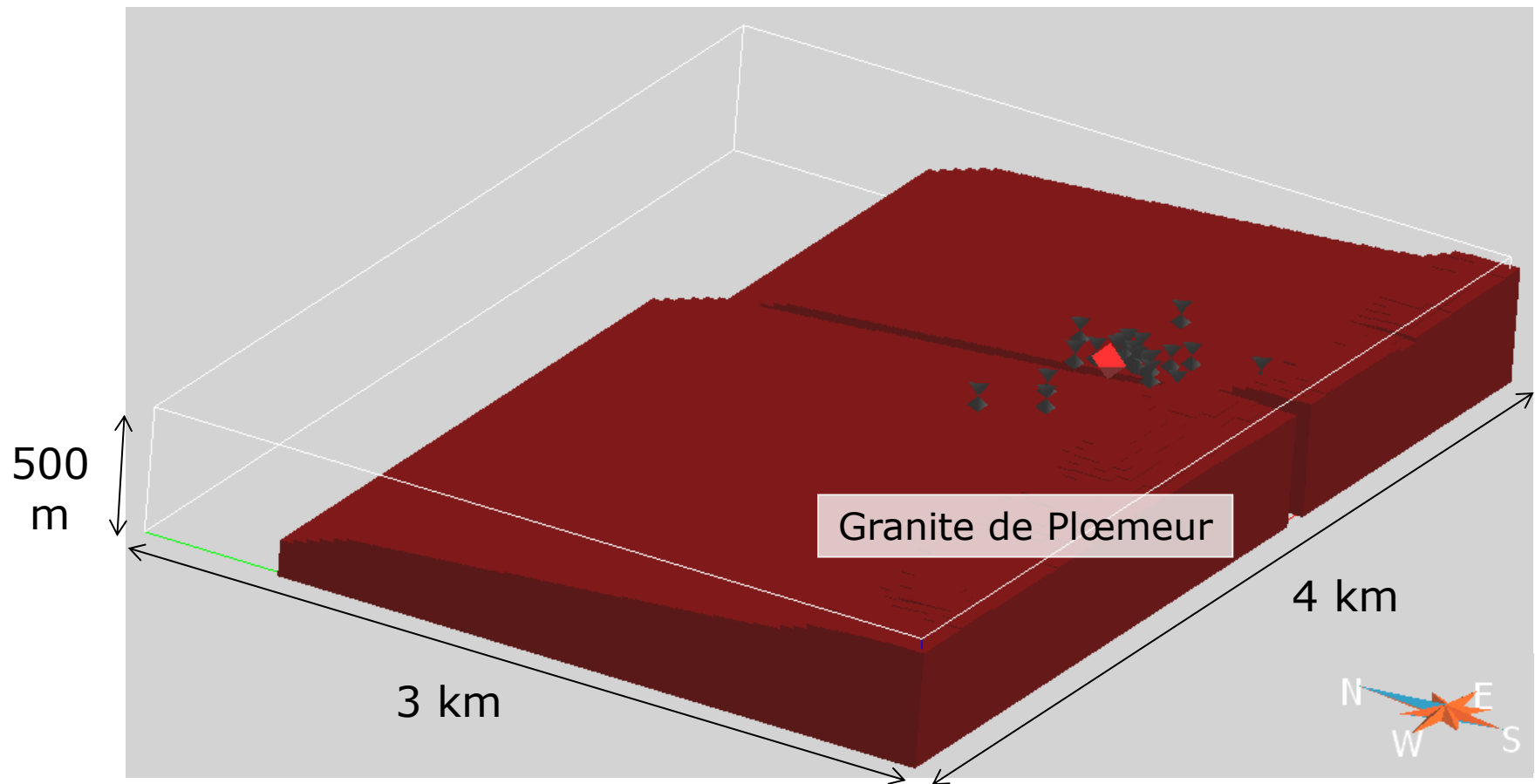
NUMERICAL MODELING OF THE PLOEMEUR AQUIFER

Ploemeur site

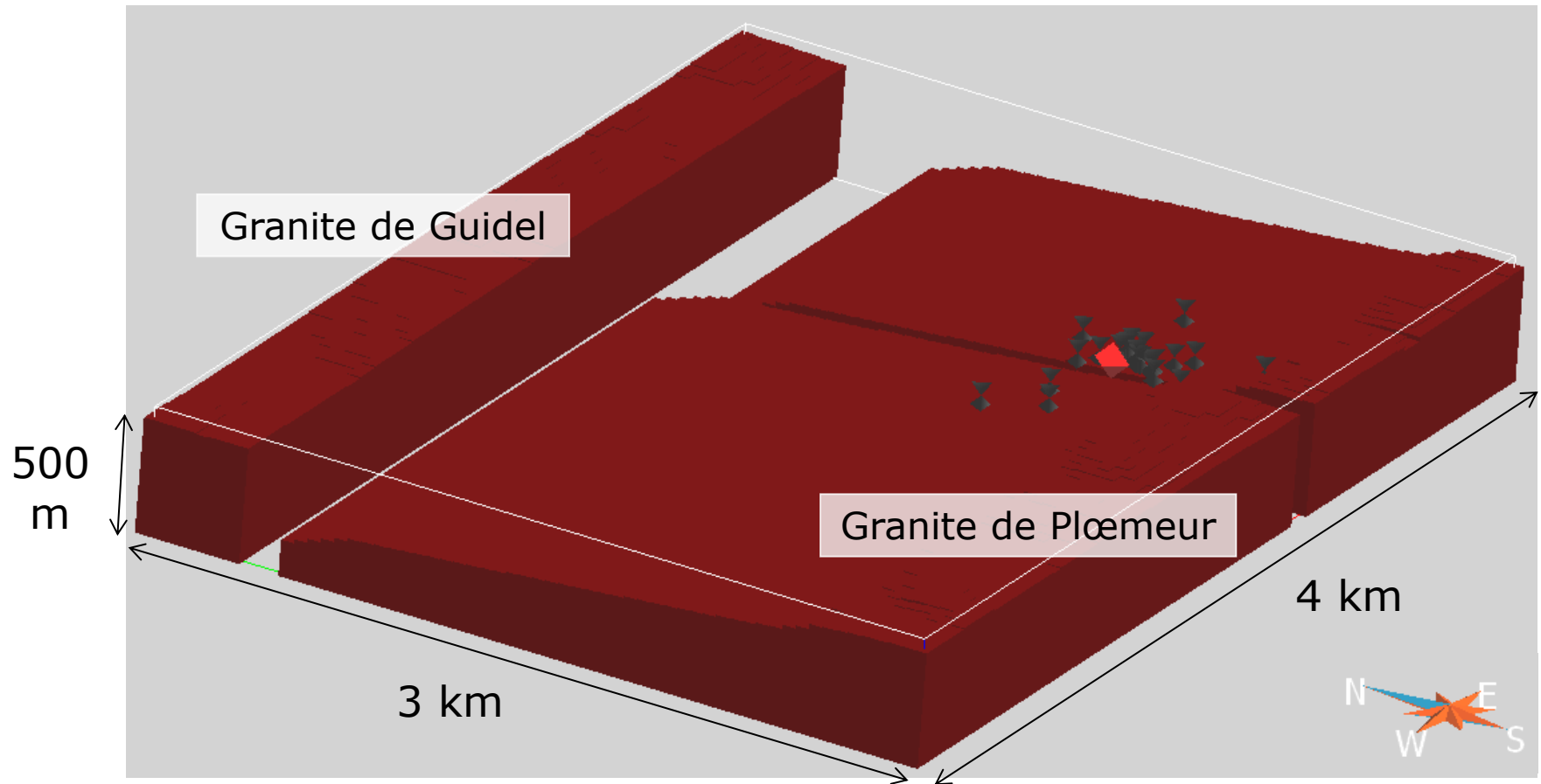


- Aquifer with a high productivity ($110\text{m}^3/\text{h}$)
→ cannot be explained by saprolites or fault

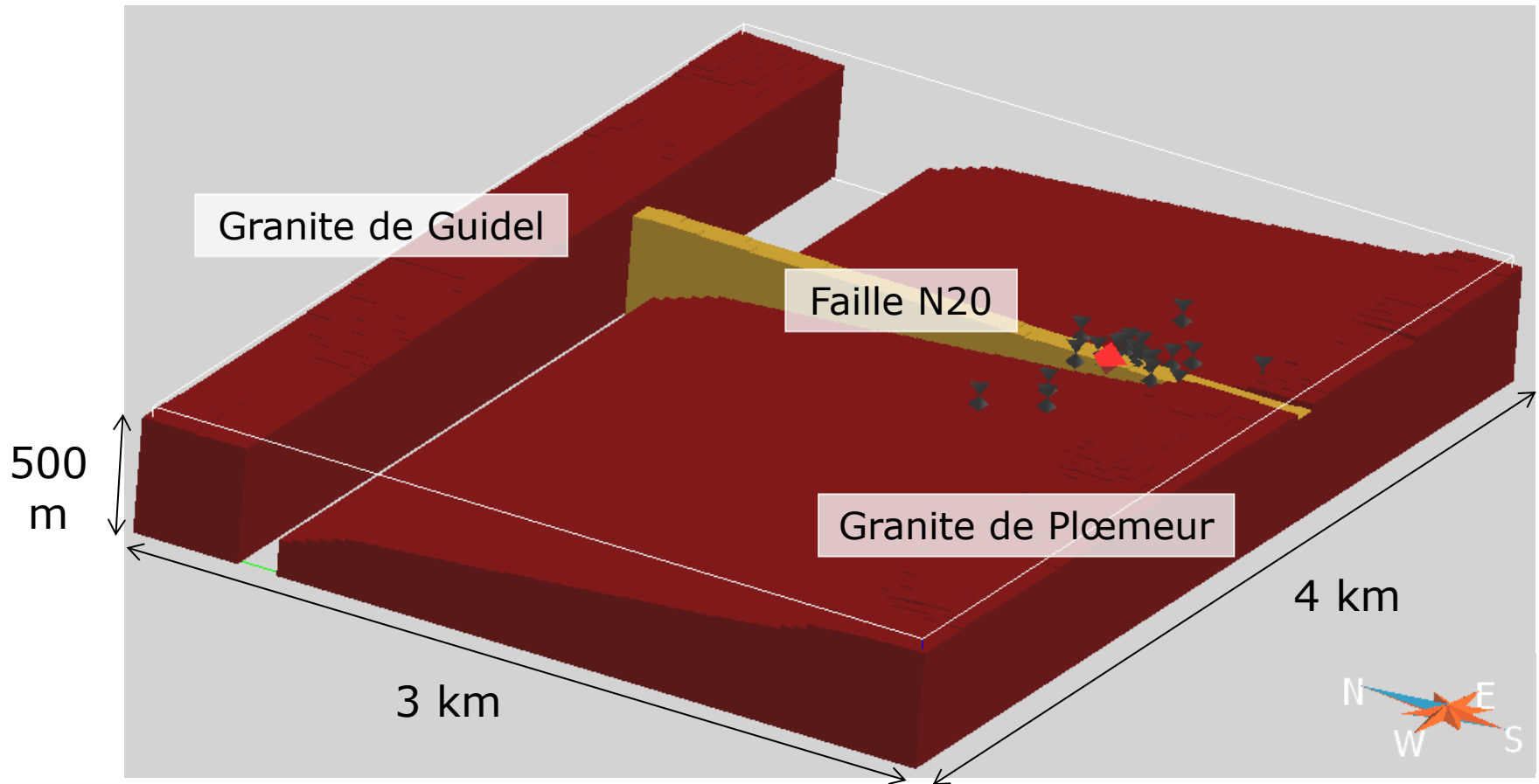
Hydrogeological model



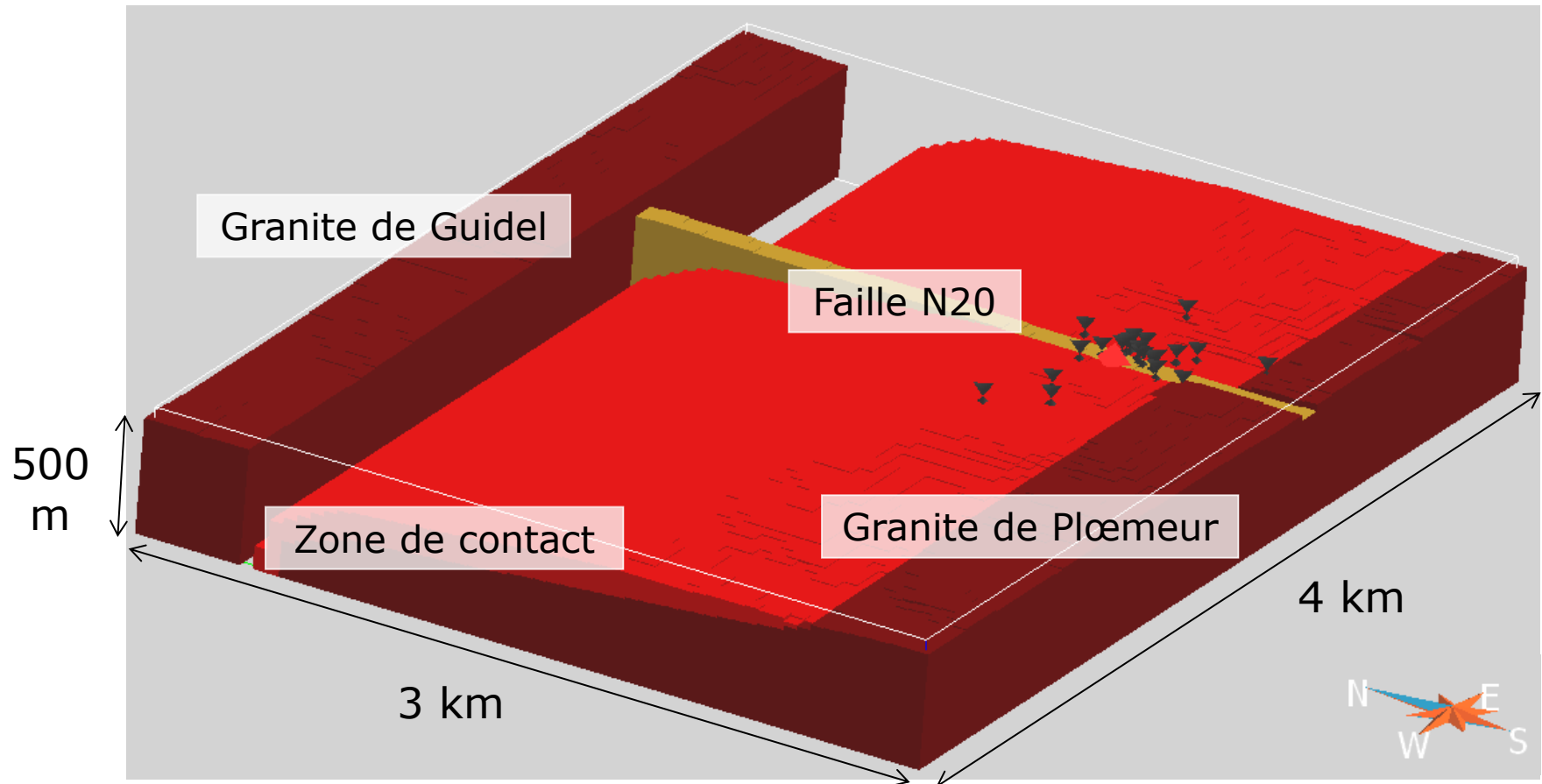
Hydrogeological model



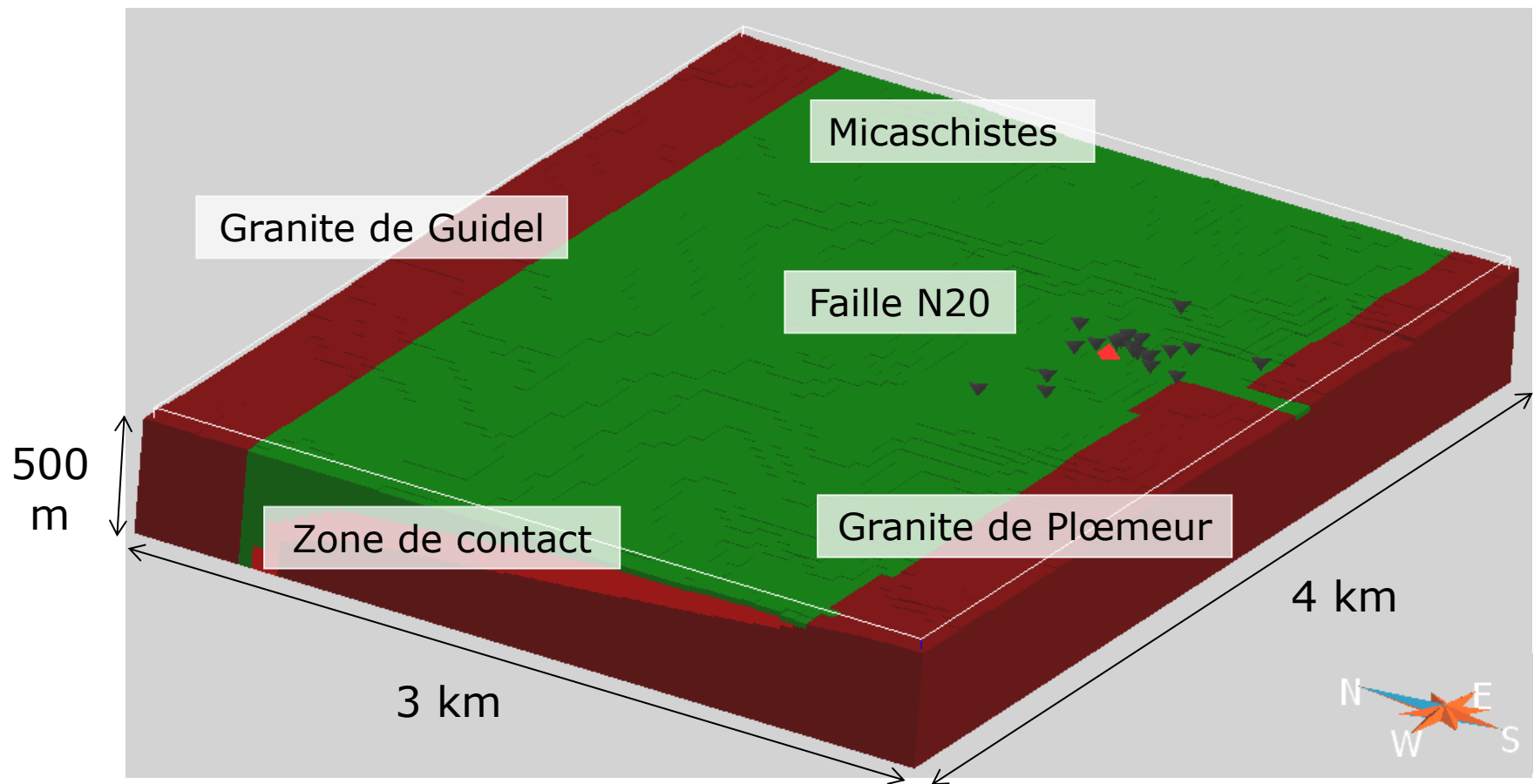
Hydrogeological model



Hydrogeological model



Hydrogeological model



Leray, 2012

Model calibration

- Piezometry
 - Contact zone transmissivity
 - Recharge
- CFC-12 concentration at the well
 - Global volume of the aquifer= structure + porosity
 - TTD

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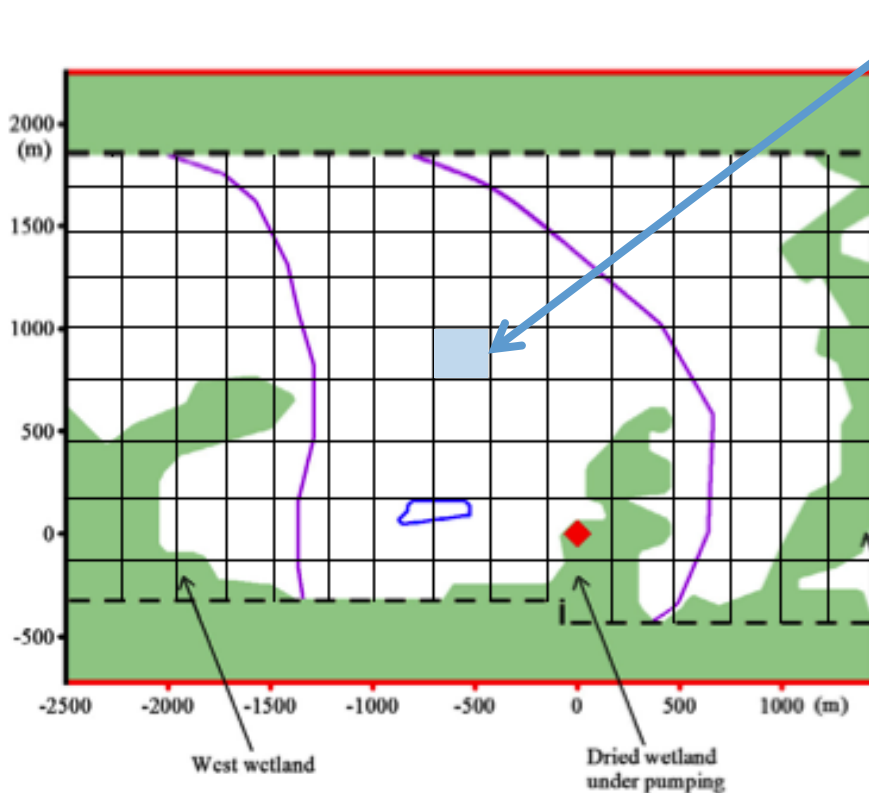
**Crucial information for
complex aquifers**

Model calibration

- Piezometry
 - Contact zone transmissivity
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- CFC-12 concentration at the well
 - Global volume of the aquifer= structure + porosity
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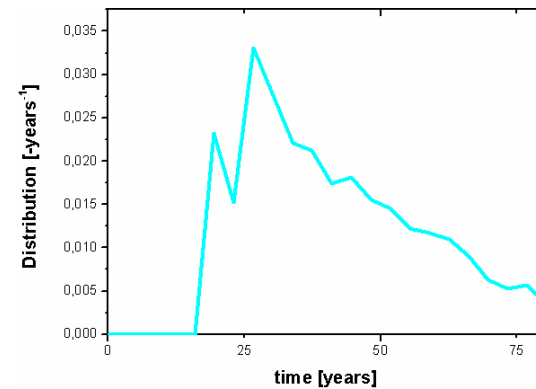
This model = our « reality »

Sampling « observations data »



Reference « observations » :

- Transit time distribution :



- Tracer concentrations



Concentration = field observations

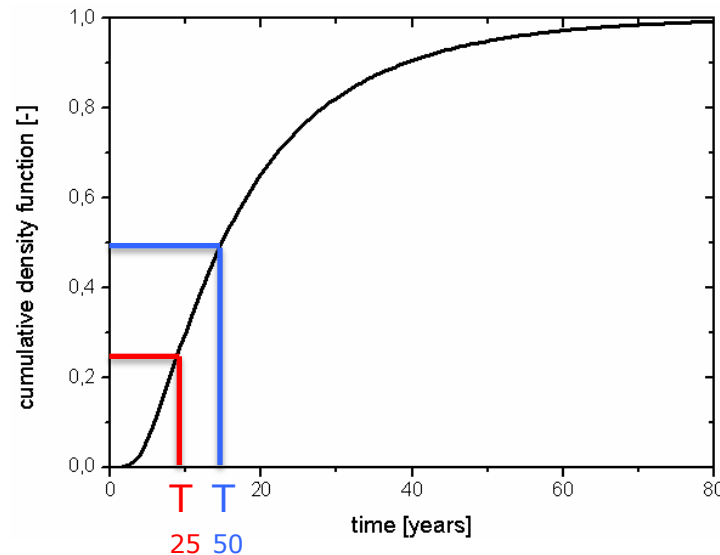
LPMS AND VIRTUAL REALITY PREDICTIONS

Calibration of the LPMs

- Assessment of the LPMs parameters from our « observations ».
 - **Number of tracer = Number of the LPM**
 - 1 parameter LPM → CFC-11
 - 2 parameters LPM → CFC-11 et ^{85}Kr
 - 3 parameters LPM → CFC-11 et ^{85}Kr et SF_6
- Goodness of fit → estimation of residual

Predictions

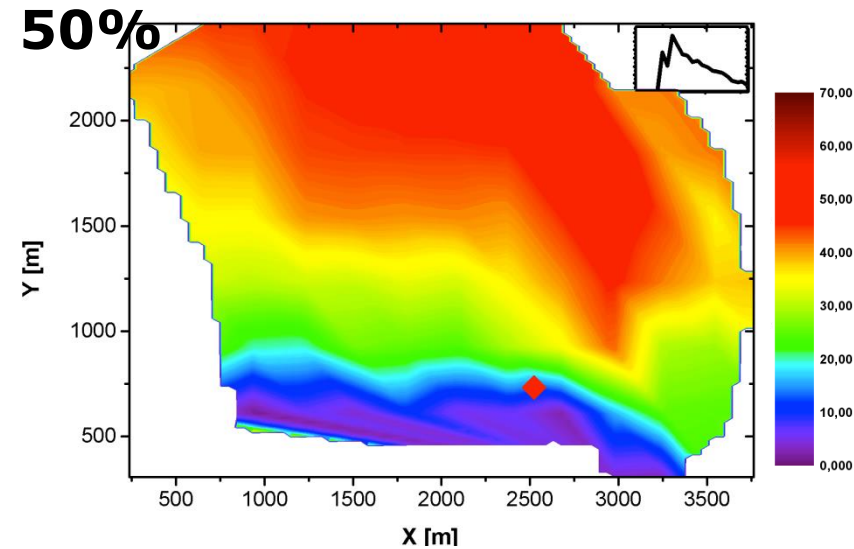
- Renewal time of the aquifers → time required for 25 and 50% to be renewed



- Comparison of the predictions obtained from the LPMs and the reference TTD (our « reality »)

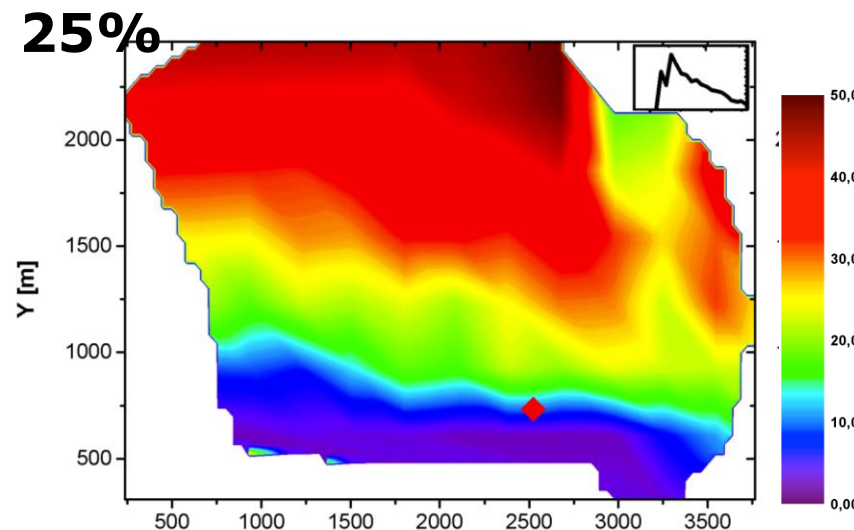
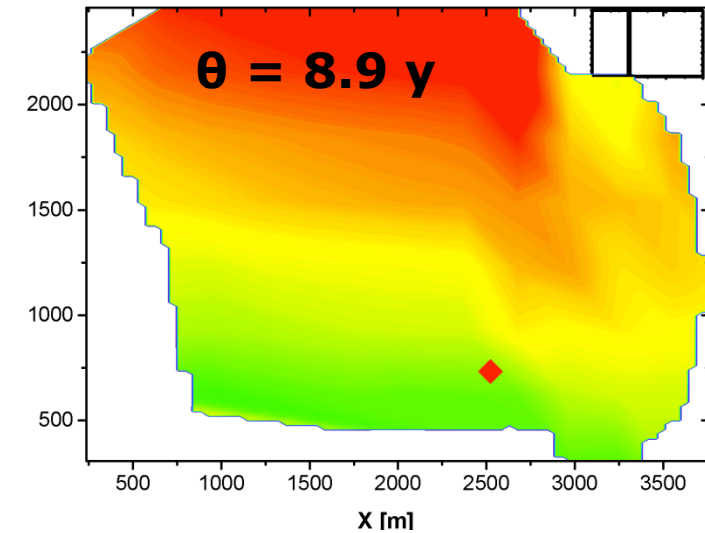
Quality of predictions (1 LPM)

Marçais et al., 2015



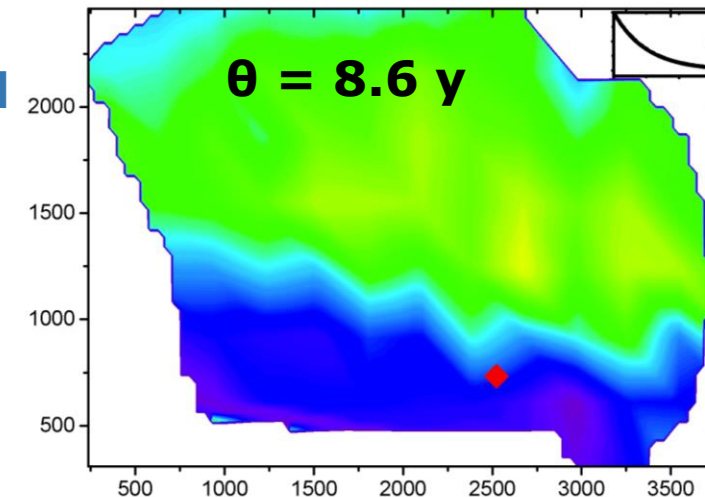
Dirac

Rcal = 0%



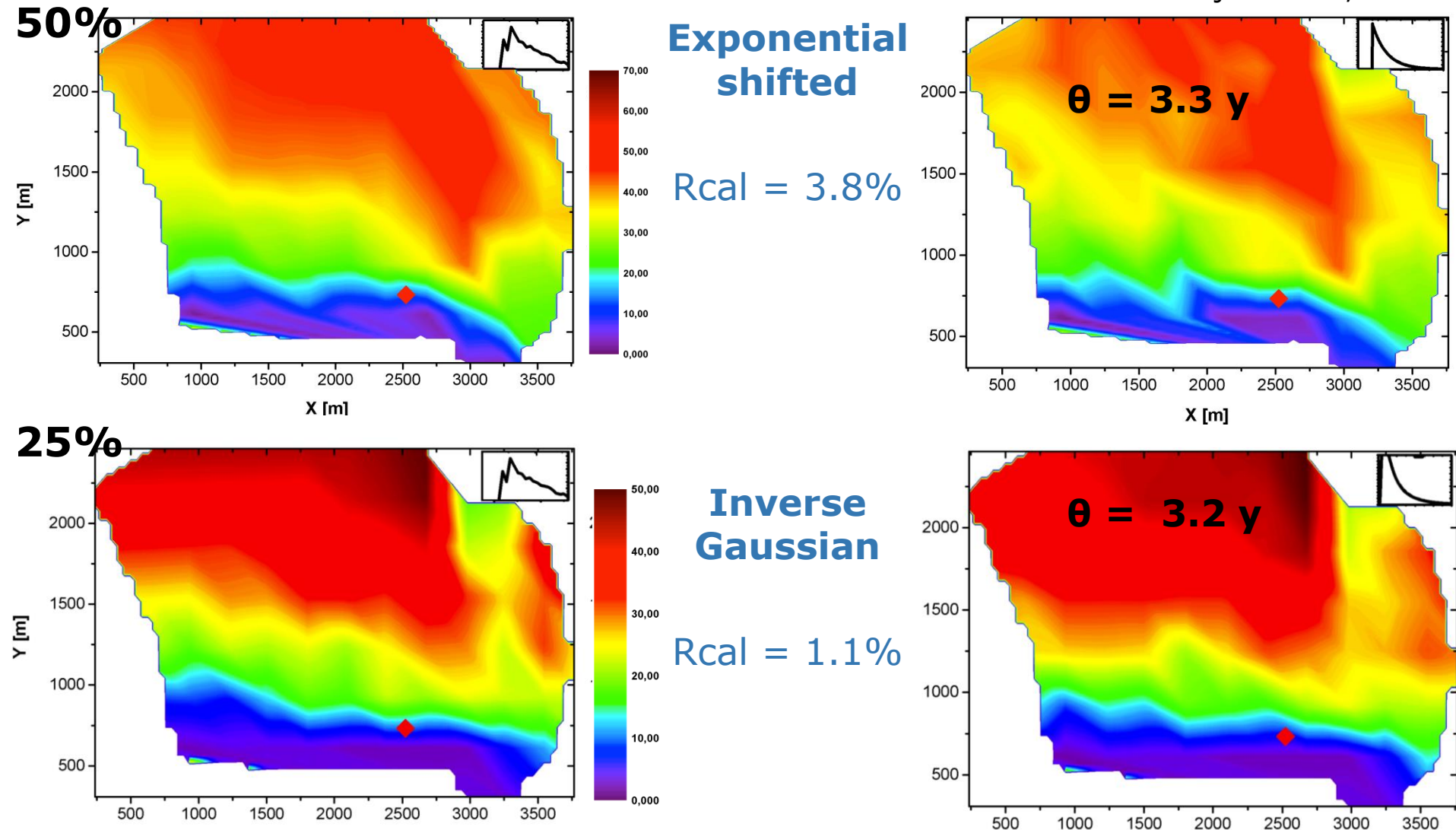
Exponential

Rcal = 99%



Quality of the predictions (1 LPM)

Marçais et al., 2015



Conclusions

- Dipping fractured zones = significant resources ~ equivalent to regional scale fault
 - Tracer concentrations to constrain the aquifer structure
- Predictive capacity of the LPMs:
 - Do not only depend on the goodness of fit (ex. Dirac)
 - High dependancy to the **likelihood** of the LPM (ex. Exponential)
 - Need at least **two tracers** with sufficiently different atmospheric concentration chronicles to use a **LPM broad and relatively smooth**
 - More details on the distribution provided by additional tracer data not necessary for our purposes

→ 2 tracer concentrations + LPMs → good predictions

THANK YOU!